Title: On the resolution of equations $A x^{n}-B y^{n}=C$ in integers $x, y$ and $n \geq 3$, I

## Author(s): Kálmán Győry and Ákos Pintér

In our paper we initiate a systematic treatment for solving the title equation for bounded positive integer coefficients $A, B$ and $C$. To illustrate our approach we explicitly solve the equation in integers $x, y$ and $n$ with $|x y|>1, n \geq 3$ for a collection of coefficients $A, B, C$. We first derive, for concrete values of $A, B, C \leq 100$, a relatively small upper bound for $n$, provided that the equation under consideration has no solution with $|x y| \leq 1$ (cf. Theorem 1). Then we give among others all the solutions $(x, y, n)$ for $C=1, A, B \leq 20$ (cf. Theorem 3), and for $A=C=1, B \leq 70$ (cf. Theorem 4). Our method, which may, with some effort, be extended to larger values of $A, B$ and $C$, combines a wide variety of techniques, classical and modern, in Diophantine analysis.

## Address:

Kálmán Győry
Mathematical Institute
Number Theory Research Group of the Hungarian Academy of Sciences
University of Debrecen
4010 Debrecen
Hungary
E-mail: gyory@math.klte.hu

## Address:

Ákos Pintér
Mathematical Institute
Number Theory Research Group of the Hungarian Academy of Sciences
University of Debrecen
4010 Debrecen
Hungary

