Title: Weakly-peripherally multiplicative conditions and isomorphisms between uniform algebras

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Suppose that $A$ and $B$ are uniform algebras on compact Hausdorff spaces $X$ and $Y$, respectively. Let $\rho, \tau : \Lambda \to A$ and $S, T : \Lambda \to B$ be mappings on a nonempty set $\Lambda$. Suppose that $\rho(\Lambda), \tau(\Lambda)$ and $S(\Lambda), T(\Lambda)$ are closed under multiplications and contain $\exp A$ and $\exp B$ respectively and that $S(e_1) \in S(\Lambda)^{-1}, T(e_2) \in T(\Lambda)^{-1}$ with $|S(e_1)T(e_2)| = 1$ on $\text{Ch}(B)$ for some fixed $e_1, e_2 \in A_1$ with $\rho(e_1) = \tau(e_2) = 1$. If $\sigma_\pi(S(f)T(g)) \cap \sigma_\pi(\rho(f)\tau(g)) \neq \emptyset$ for all $f, g \in \Lambda$ and there exists a first-countable dense subset $D_B$ in $\text{Ch}(B)$, or a first-countable dense subset $D_A$ in $\text{Ch}(A)$, then there exists an algebra isomorphism $\tilde{S} : A \to B$ such that $\tilde{S}(\rho(f)) = S(e_1)^{-1}S(f)$ and $\tilde{S}(\tau(f)) = T(e_2)^{-1}T(f)$ for every $f \in \Lambda$.

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