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Title: Geometry of space-time and generalised Lagrange gauge theory

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In §1 and §2 the authors present the Einstein and Maxwell equations for the generalised Lagrange space $GL^n = (M, g_{ij}(x,y) = e^{2\sigma(x,y)}\gamma_{ij}(x))$, and characterize the case of vanishing mixed curvature tensor field of the canonical linear d-connection. The Lagrangian gauge theory in G.S. Asanov's sense [1] is developed in §3 for the tangent bundle endowed with (h,v)-metrics, obtaining the generalised Einstein - Yang Mills equations with respect to the metric gauge tensor fields and to the gauge field $\gamma(x,y)$ for three remarkable cases in which the metrics are derived from the fundamental tensor field $g_{ij}(x,y)$. Proofs are, in most cases, mechanical but rather tedious calculations. They are omitted.

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